

## Introduction to SystemC-AMS Library Prototype

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# Outline

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- ▶ Focus of SystemC-AMS
- ▶ Why is having different Models of Computation cute?
- ▶ SystemC and its extension SystemC-AMS
  - Common Use Flow
  - Short overview to SystemC's capabilities
  - Concepts and implementation of SystemC-AMS
- ▶ Models of Computation again
  - Synchronous / Static Dataflow
  - Linear Networks
- ▶ What's left?
  - Non-linear Networks, etc.

# Focus of SystemC-AMS

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Description, Simulation and Verification for:

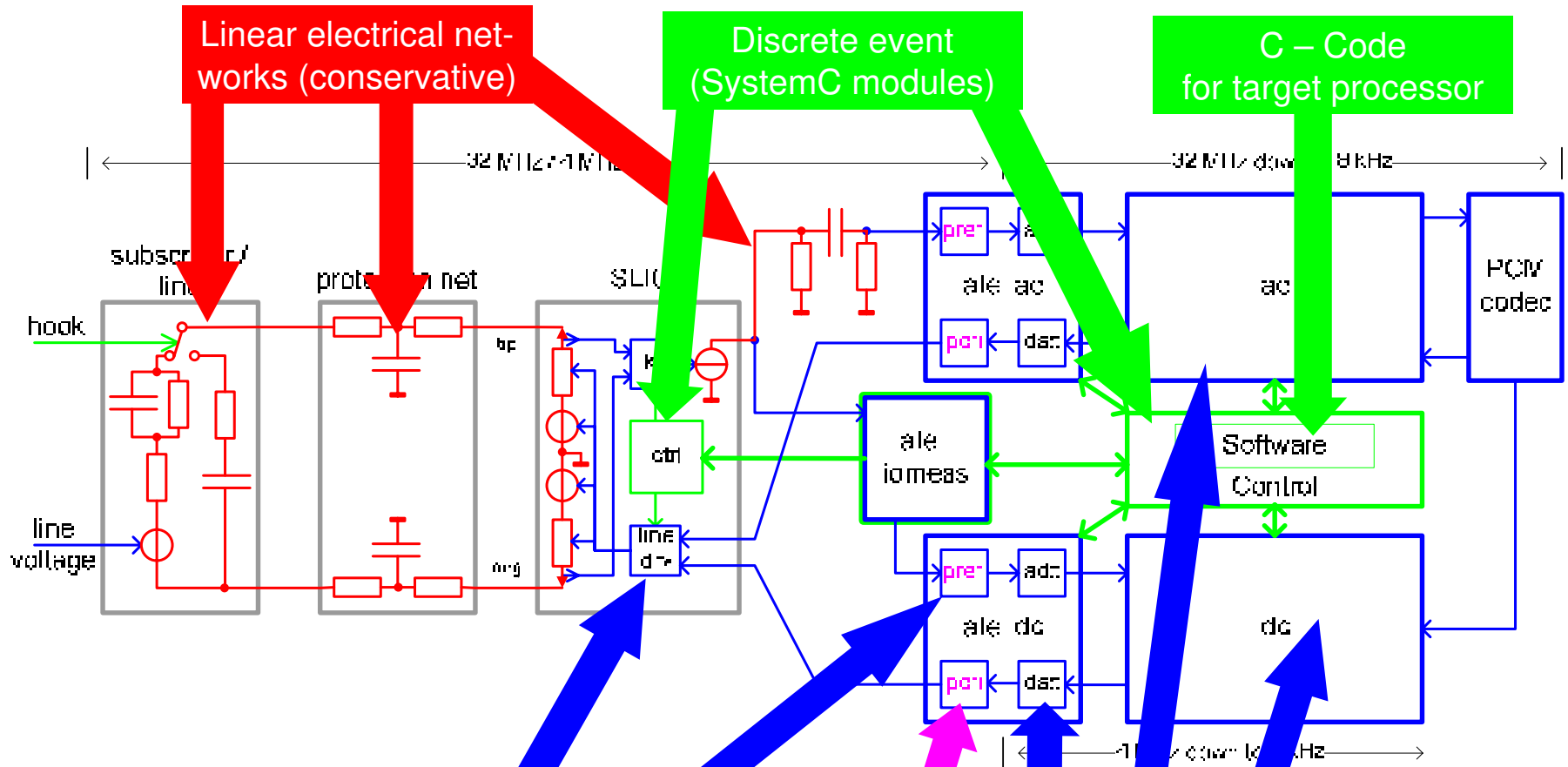
- ▶ Functional complex integrated systems
- ▶ Analogue Mixed-Signal systems / Heterogeneous systems
- ▶ Specification / Concept and System Engineering
- ▶ System design, development of a (“golden”) reference model
- ▶ Embedded Software development
- ▶ Next Layer (Driver) Software development
- ▶ Customer model, IP protection

# Why having different analogue Models of Computation?

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- ▶ Modelling on different abstraction / accuracy levels yields the possibility to apply specialised algorithms, which are orders of magnitude faster than a general approach.
- ▶ It is possible to reduce the solvability problem significantly.
- ▶ Due to the encapsulation of analogue MoC / solvers SystemC-AMS models are very well scalable – very large models can be handled.
- ▶ Examples for specialised analogue Models of Computations (MoC):
  - Linear Networks / Differential-Algebraic Equation (DAE) systems
  - Non-linear Networks / DAE systems
  - Switched Capacitor Networks (leads to simple algebraic equation)
  - Dataflow solver for Signalflow Descriptions and Bond Graphs
  - ...

# Application of SystemC-AMS to a Voice Codec System



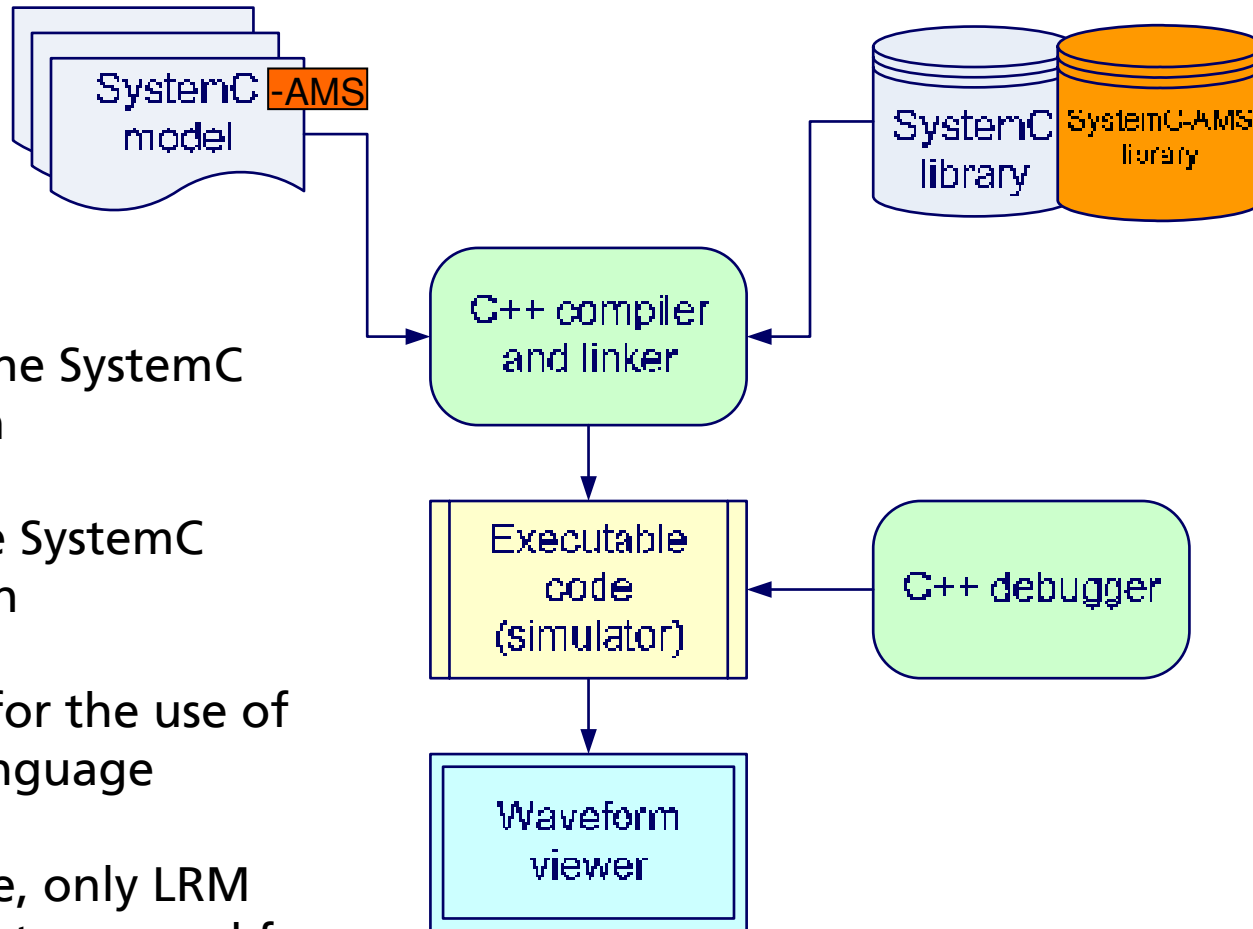
**red:** Linear electrical networks (conservative)  
**magenta:** Linear DAE's  
**blue:** Static data flow  
**green:** pure SystemC

**Signalflow**  
 (non-conservative),  
 frequency domain

**Embedded**  
 linear analogue  
 equations

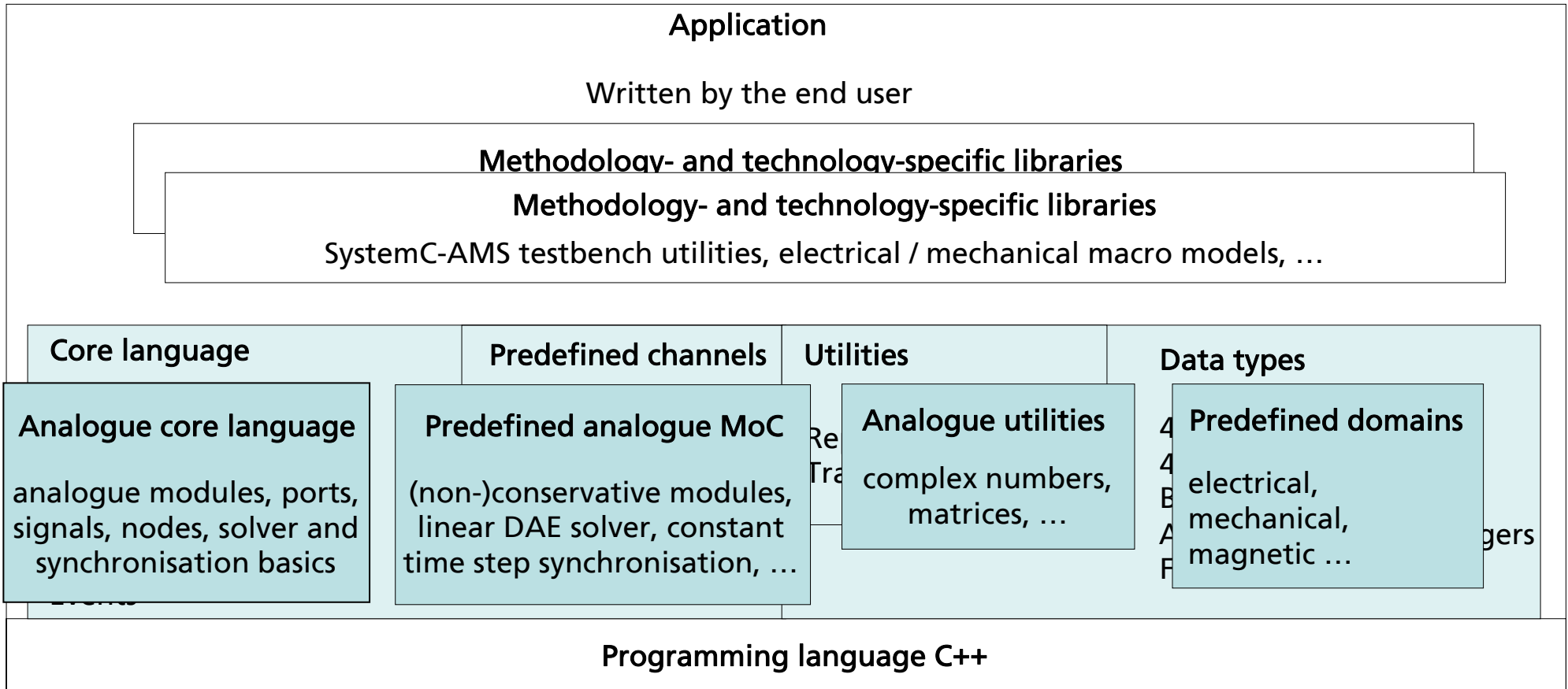
**Multi-rate static**  
 dataflow,  
 frequency domain

# SystemC-AMS is an extension of SystemC



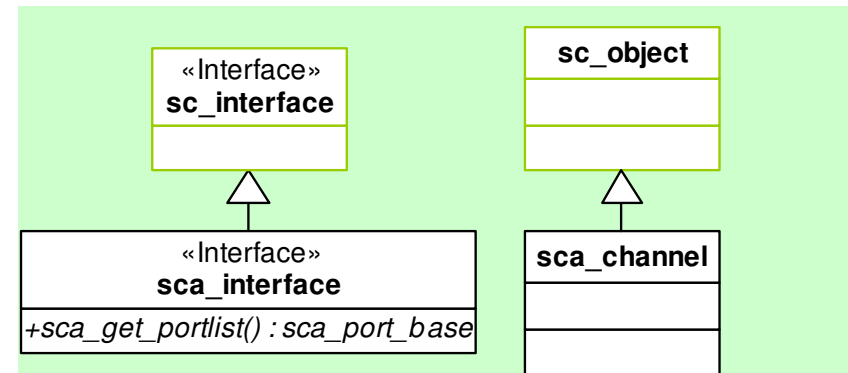
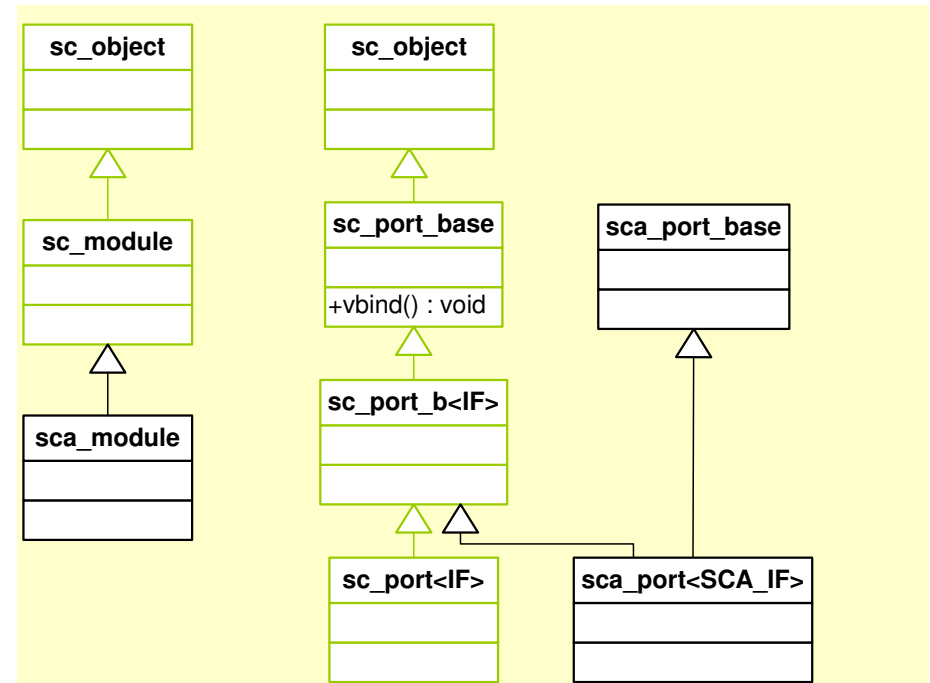
- no changes to the SystemC implementation
- ➔ use of the same SystemC implementation
- ➔ no restrictions for the use of the SystemC language
- as far as possible, only LRM documented features used for the library implementation

# SystemC / SystemC-AMS language architecture



# SystemC-AMS Implementation

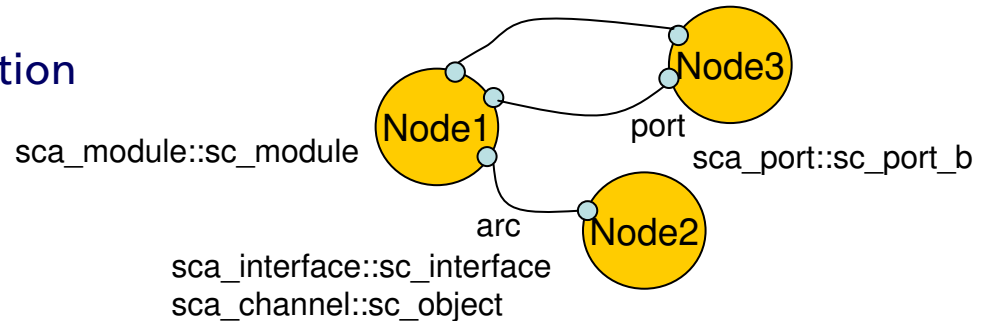
- ▶ Analogue Module
  - container class for analogue ports and primitive behaviour
- ▶ Analogue Port
  - provides access to a connected interface, channel
- ▶ Analogue Interface
  - provides access routines
- ▶ Analogue Channel
  - implements access routines



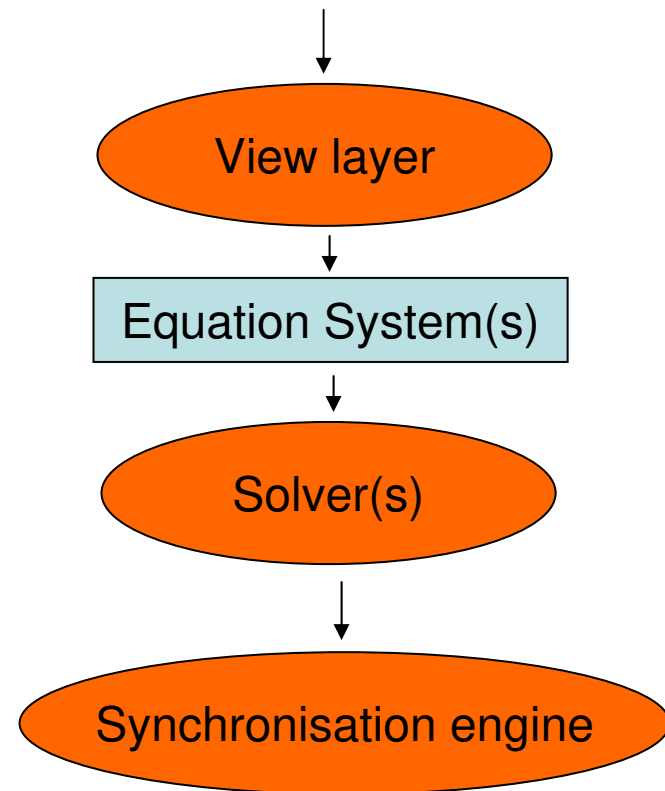


# SystemC-AMS Principal Implementation Concepts

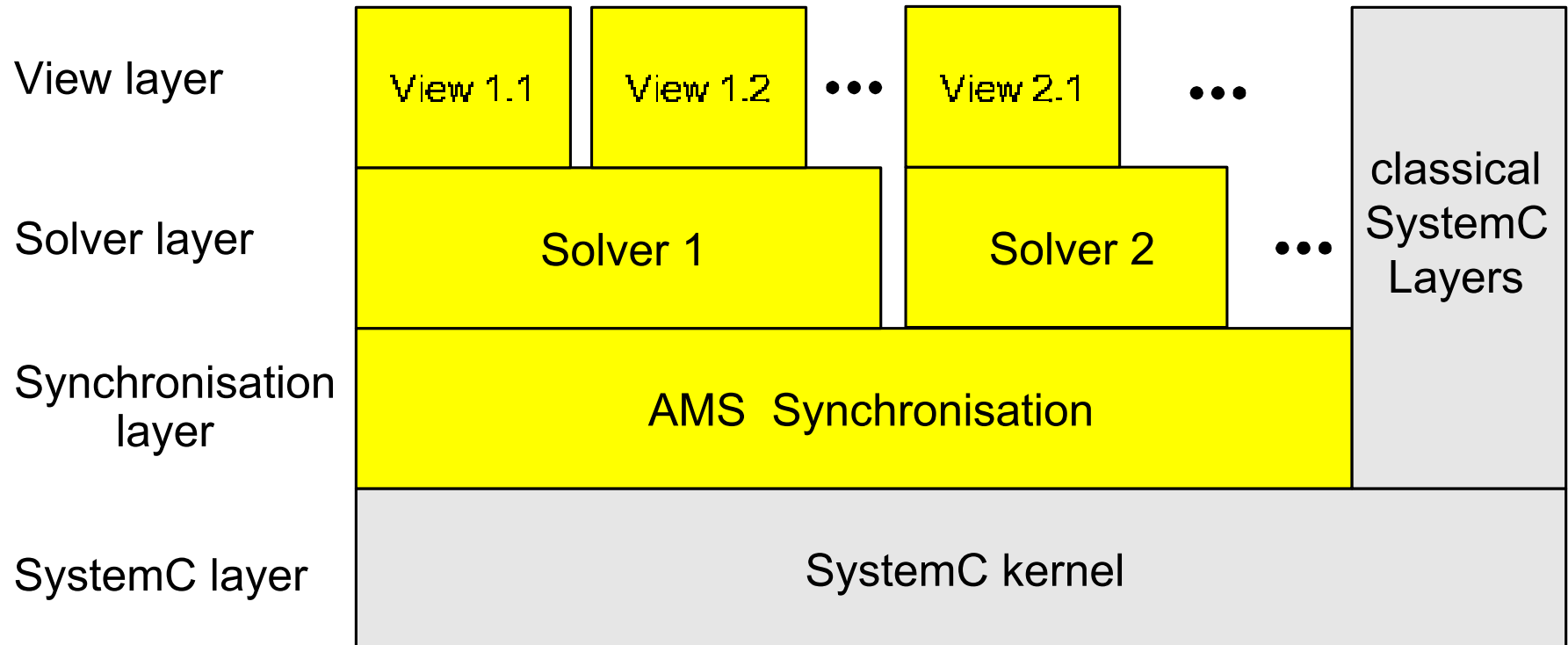
- ▶ abstract syntax for structural description



- ▶ A couple of commonly required operations can be performed on the abstract graph (description, hierarchy flattening, clustering, graph analysis, ...).
- ▶ All nodes connected together are assigned to a concrete view which setups the equations and instantiates one or more solvers.
- ▶ A solver contains the concrete implementation of the solver's algorithm which implements an abstract solver interface which in turn is used by the view layer to setup the equations. A solver is as well an abstract object (with a defined interface) for the synchronisation layer.
- ▶ This way only one synchronisation engine to the DE – SystemC is necessary.



# Concept of SystemC-AMS

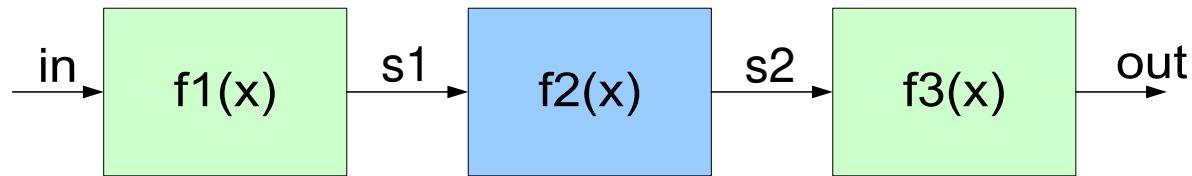


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- ▶ **Models of Computation again**
  - Synchronous / Static Dataflow
  - Linear Networks
- ▶ What's left?
  - Non-linear Networks, etc.

# Dataflow MoC: Modelling non-conservative behaviour



$$\text{out} = \text{f3}(\text{f2}(\text{f1}(\text{in})))$$

equation system:

$$s1 = \text{f1}(\text{in})$$

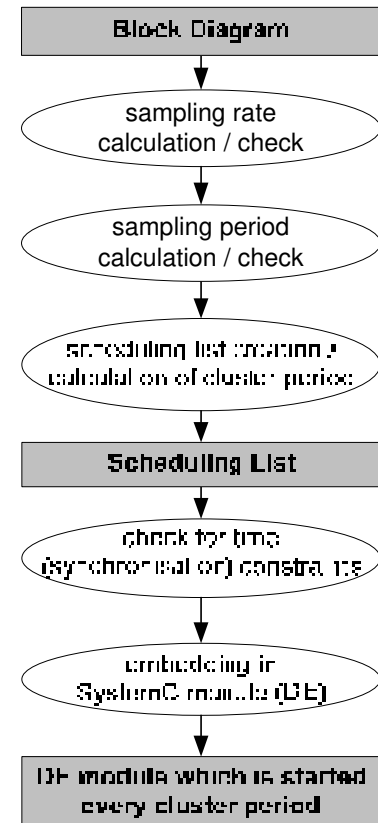
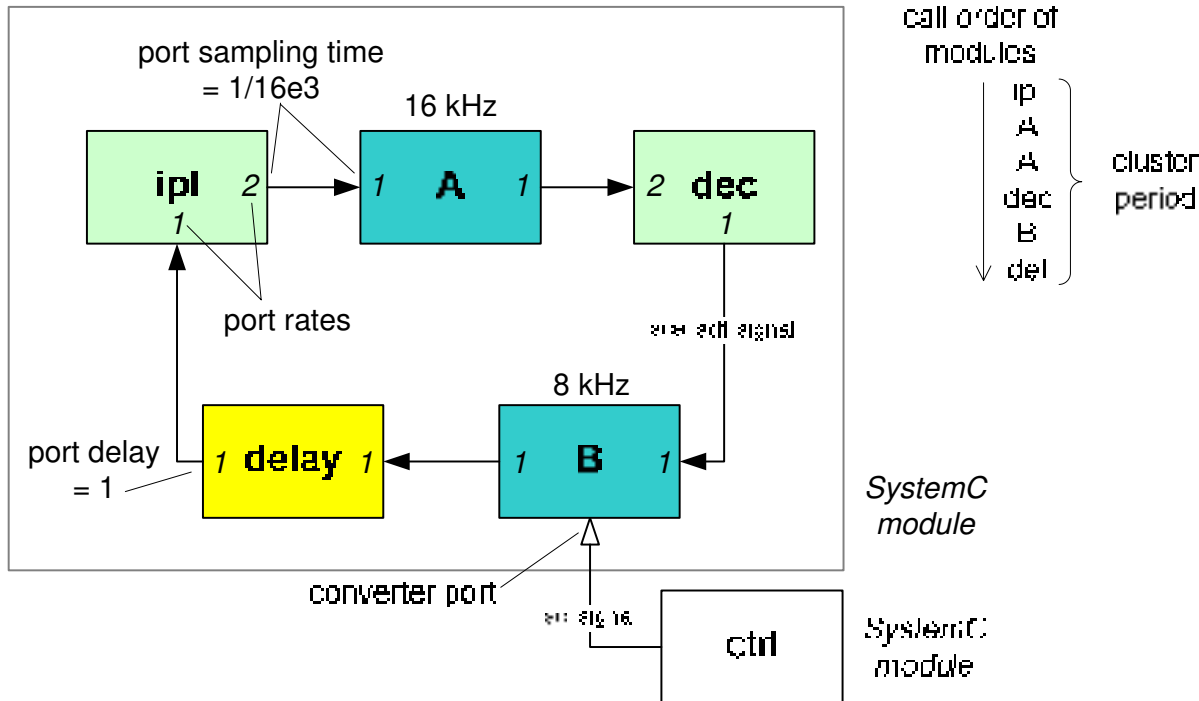
$$s2 = \text{f2}(s1)$$

$$\text{out} = \text{f3}(s2)$$

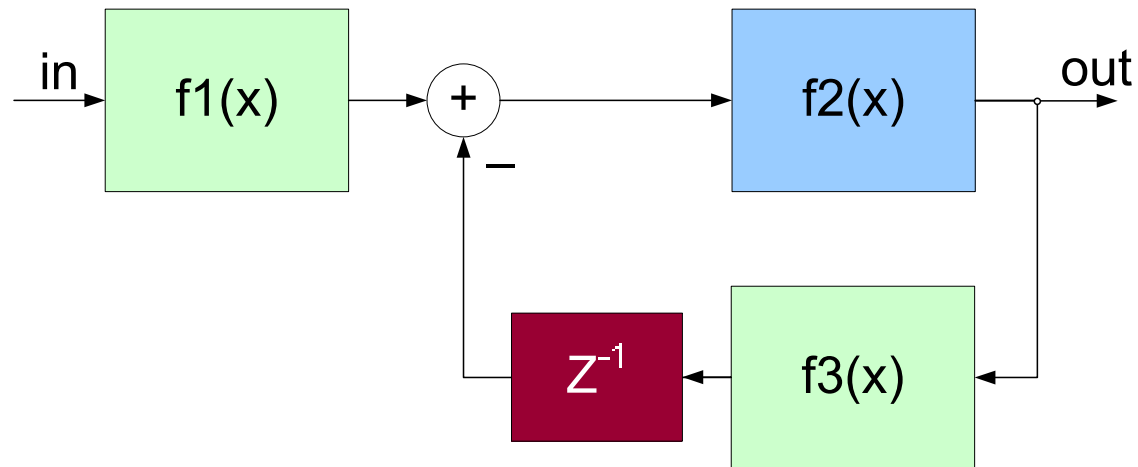
- Simple firing rule: A block is called if enough samples are available at its input ports.
- The function of a block is performed by
  1. reading from the input ports (thus consuming samples),
  2. processing the calculations and
  3. writing the results to the output ports.
- For **synchronous dataflow (SDF)** the numbers of read / written samples are **constant** for each block call.
- The scheduling order follows the signalflow direction.
- One drawback is the need of having the equations in an **explicit formulation**. Thus, only explicit DAE systems can be described by means of the SDF.

# Implementation of Multi-Rate SDF in SystemC-AMS

cluster = set of connected SDF modules



# Loops in Synchronous / Static Dataflow Clusters

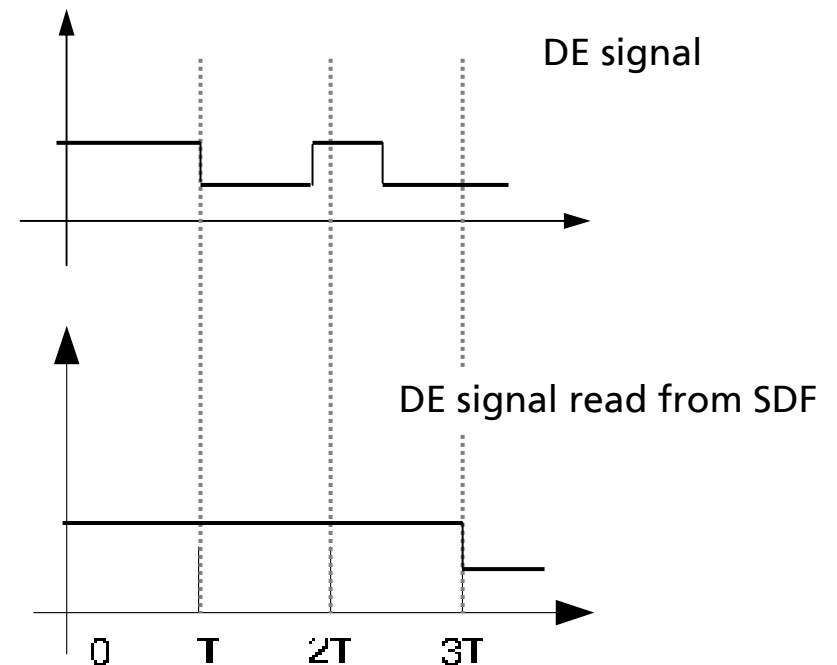


- ▶ Simulating signalflow behaviour by synchronous dataflow MoC with algebraic loops is **not possible**.
- ▶ Thus, at least one delay in the loop is crucial!
- ▶ For analogue modelling the delay is a “hopefully” acceptable approximation:

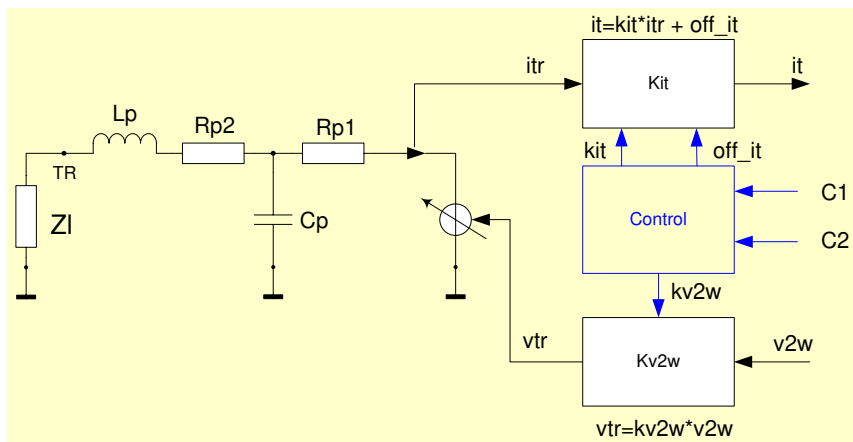
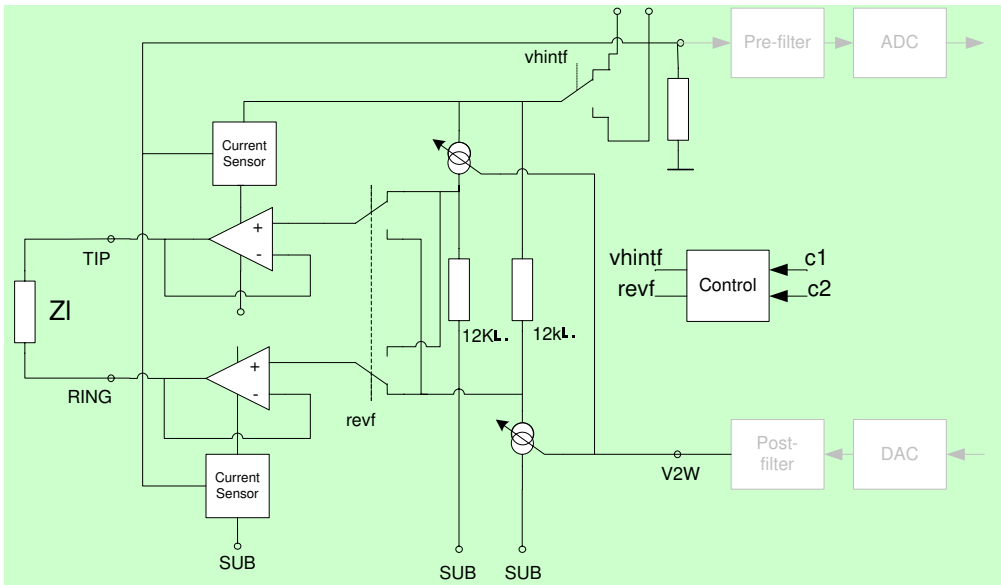
$$\text{out} = f2( f1(\text{in}) - f3(\text{out}) ) \longrightarrow \text{out} = f2( f1(\text{in}) - f3(\text{out}) z^{-1} )$$

# Synchronisation between SDF and DE Domain

- ▶ SDF samples are mapped to `sc_time`.
- ▶ SystemC (DE) signals are sampled at  $\Delta=0$  of the specified sampling period. SDF samples are scheduled at  $\Delta=0$  as well (and thus valid at least at  $\Delta=1$ ).
- ▶ The sampling period  $T$  is specified as port attribute and propagated along the SDF signals of the cluster.
- ▶ That is why the sampling period must be specified at least for one port of a module in every SDF cluster – are  $\geq 2$  sampling periods given, the simulator performs a consistency check.



# Static Dataflow Modules (non-conservative Modules)



```

SCA_SDF_MODULE(kv2w)
{
    sca_sdf_in<double>  v2w;
    sca_sdf_out<double> vtr;

    // control / DE inport
    sca_scsdf_in<double> k_v2w;

    void sig_proc();

    SCA_CTOR(kv2w)
    {
    }
};

void kv2w::sig_proc()
{
    double v2w_tmp = v2w.read();
    double vtr_tmp;

    vtr_tmp = k_v2w.read() * v2w_tmp;

    vtr.write(vtr_tmp);
}
    
```



# Static Dataflow Modules - Example with LTF

```

SCA_SDF_MODULE(prefi_ac)
{
  sca_sdf_in<double> in; // signal inport
  sca_sdf_out<double> out; // signal outport

  // control / DE signal from SystemC
  // (connected to sc_signal<bool>)
  sca_sc_sdf_in<bool> fc_high;

  double fc0, fc1; // cut-off frequency
  double v_max; // max. out value

  sca_ltf_nd ltf_0, ltf_1; // filter equation inst.
  sca_vector<double> a0, a1, b;
  sca_vector<double> s; // state vector

  void init() // filter coeffs for transfer function
  {
    const double r2pi = M_1_PI * 0.5;
    b(0) = 1.0; a1(0) = a0(0) = 1.0;
    a0(1) = r2pi/fc0; a1(1) = r2pi/fc1;
  }
}

```

```

void sig_proc() {
  double tmp; // high or low cut-off freq.
  if(fc_high.read()) tmp = ltf_1(b, a1, s, in.read());
  else tmp = ltf_0(b, a0, s, in.read());

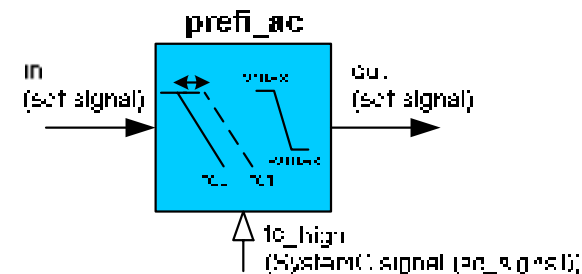
  if (tmp > v_max) tmp = v_max; // output voltage
  else if (tmp < -v_max) tmp = -v_max; // limitation

  out.write(tmp); // assign output voltage to port
}

SCA_CTOR(prefi_ac)
{ // default parameter values
  fc0 = 1.0e3; fc1=1.0e5; v_max = 1.0;
}
};

```

$$H(s) = \frac{1}{1 + \frac{1}{2\pi f_c} s}$$



# Frequency Domain Specification - Example

```
SCA_SDF_MODULE(ac_tx_comb)
{
    sca_sdf_in<bool>          in;
    sca_sdf_out<sc_int<28>> out;

    void attributes()
    {
        in.set_rate(64); // 16 MHz
        out.set_rate(1); // 256 kHz
    }

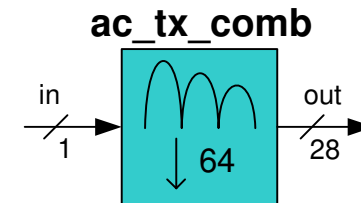
    void ac_sig_proc()
    {
        double k = 64.0; // decimation factor
        double n = 3.0; // order of comb filter
        sca_complex z1 = sca_ac_z(in.get_T().to_seconds(), -1);

        // complex transfer function:
        sca_complex h = pow((1.0 - pow(z,k)) / (1.0 - z), n);

        sca_ac(out) = h * sca_ac(in);
    }
}
```

```
void sig_proc()
{
    int x, y, i;
    for (i=0; i<64; ++i) {
        x = in.read(i);
        ...
        out.write(y);
    }

    SCA_CTOR(ac_tx_comb)
    {
        ...
    }
};
```



$$H(z) = \left( \frac{1 - z^{-k}}{1 - z^{-1}} \right)^n \quad z = e^{j2\pi f / f_s}$$

# Hierarchical Modules - Linear Network Example

```
SC_MODULE(prefi externals)
{
    // synchronous dataflow inport
    sca_sdf_in<double> kit

    // converter inport (connect with sc_signal<bool>)
    sca_sc_sdf_in<bool> fch;

    // electrical port
    sca_elec_port pout;

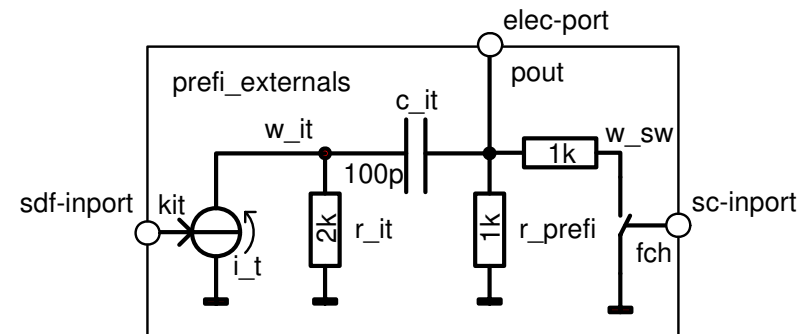
    // internal nodes declaration
    sca_elec_node w_it, w_sw;
    sca_elec_ref gnd;

    // component declarations
    sca_r      *r_it, *r_prefi, *r_prefi2;
    sca_c      *c_it;
    sca_sdf2i  *i_t;
    sca_sc_rswitch *sw_prefi;
}
```

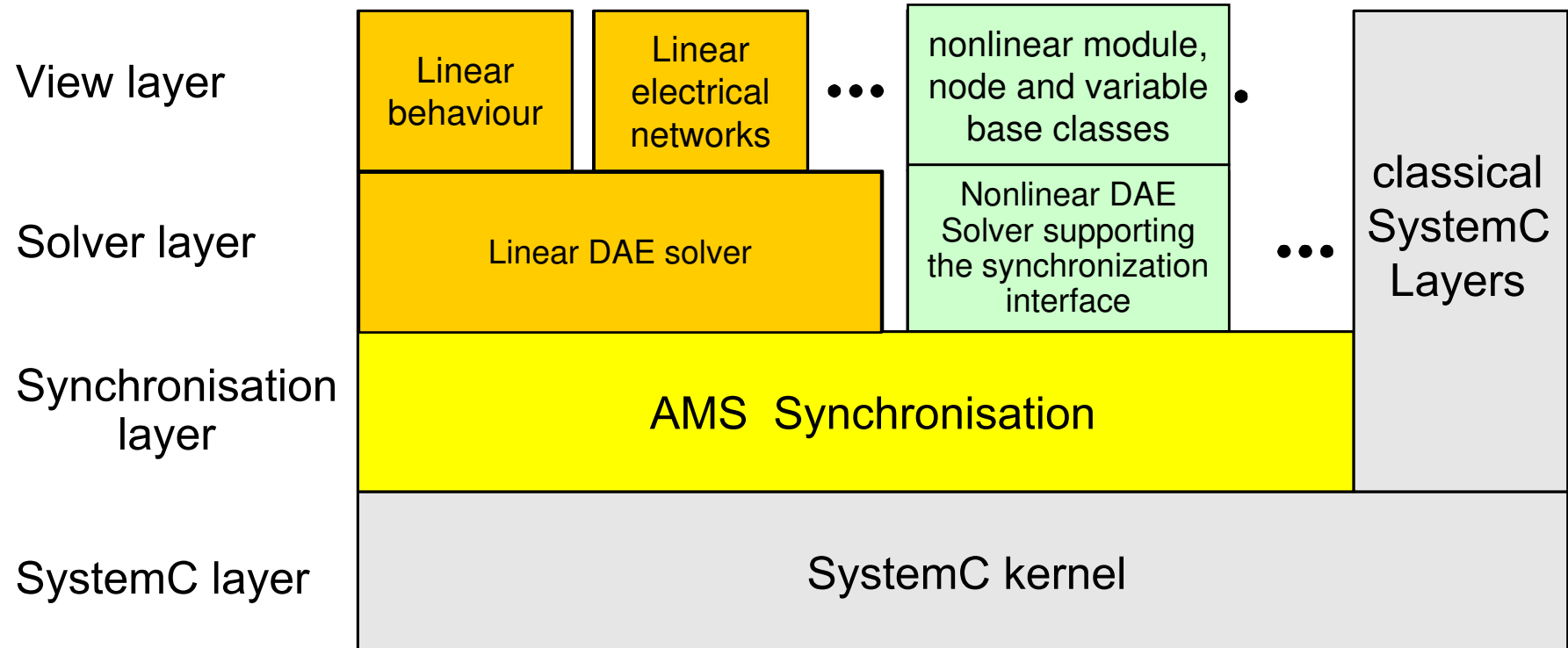
```
SC_CTOR(prefi externals)
{
    i_t = new sca_sdf2i("i_t");
    i_t->p(gnd);
    i_t->n(w_it);
    i_t->ctrl(kit);

    r_it = new sca_r("r_it");
    r_it->p(gnd);
    r_it->n(w_it);
    r_it->value=2.0e3;

    ...
};
```



# SystemC-AMS Layers



# Example Nonlinear Primitive Description

```
SCA_NL_MODULE(sca_nl_rdiode)
{
    sca_nl_elec_port a;
    sca_nl_elec_port b;

    double v_thres;
    double r_on;
    double r_off;
    double cj;

    sca_nonlinnet_var v_diode;

    void equations();

    SCA_CTOR(sca_nl_rdiode)
    {
        v_thres = 0.7;
        r_on    = 1e-2;
        r_off   = 1e7;
        cj      = 1e-12;
    }
};
```

```
#include "sca_nl_rdiode.h"

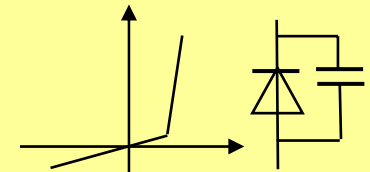
void sca_nl_rdiode::equations()
{
    null(v_diode) = v_diode - ( a.v() - b.v() );

    double i_diode;

    if ( v_diode.above(v_thres) )
    {
        i_diode = ( v_diode - v_thres ) / r_on
                + v_thres / r_off;
    }
    else
    {
        i_diode = v_diode / r_off;
    }

    i_diode += cj * v_diode.dt();

    a += i_diode;
    b -= i_diode;
}
```



# Summary

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- ▶ SystemC-AMS is an extension library for SystemC.
- ▶ A prototype implementation is publicly available from Fraunhofer.
- ▶ It supports: modelling of non-conservative systems, multi-rate static dataflow modelling, linear electrical conservative networks, linear behavioural functions, frequency domain (ac) simulation, powerful trace functionality.
- ▶ Download at <http://www.systemc-ams.org/>.
- ▶ The prototype will be further developed by the OSCI Analogue Mixed-Signal Working Group.
- ▶ Extensions available at FhG: Switched Capacitor solver, Non-linear DAE solver with SystemC / DE synchronisation
- ▶ Our SystemC-AMS related activities are presented at <http://systemc-ams.eas.iis.fraunhofer.de/>.

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**Thanks for your attention!**

**Are there still questions?**